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## A MODEL FOR NEUROPHYSIOLOGICAL FUNCTIONS

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### INTRODUCTION: MODELS IN SCIENCE

SCIENCE does not consider the single object and the single organism; it rather considers classes. The term 'class' is, in a certain sense, a synonym for model. Similarly, if some behaviour is described scientifically, it is the behaviour of a class, and therefore of a model, a physical or a conceptual model. While, so far, the physical model has had rather small an importance in science, this is because, in the first place, physical models of complicated relationships were a technical problem and extremely expensive. Since electronic components allow us to construct bigger complexes with reasonable cost, and since the progress of telecommunication techniques has taught us to handle information as both a quality and a quantity, the idea of models has experienced considerable progress. And it can be predicted that the use of electronic computers for the simulation of models will disclose many new possibilities.

One purpose of the physical model is its visual impression. A mere description frequently gives the reader only a very incomplete idea; the model makes the functional behaviour really vivid. This purpose, however, is a modest one and the specialist can often do without the model. The second purpose of the model is for examining the conception which the model displays. Such examining is valuable under the condition that the complexity of relations is such that one cannot predict every reaction of the model. If such examination reveals differences from the intended function or from the observed natural behaviour, this leads to the third and most important application of the model: the development of the conception itself by means of the model.

The model described in the following paper can claim to include all three applications. It is a model for the conditioned reflex and some functions

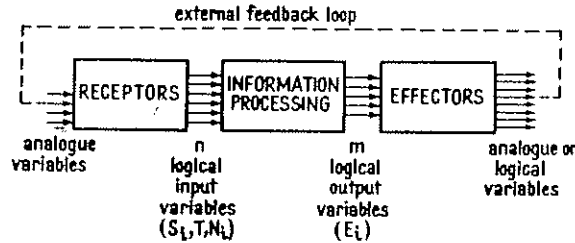
\* Dr. Angyan has furnished the neurological material and he has co-operated in the development of the model, but he was not present when this paper was written.

connected with it. It must be pointed out, however, that it is not the purpose of this paper to defend the type of behaviour the model displays. This would be no subject for this symposium. What we are trying to show is that such models need not and should not be described as electrical circuits (as is usually done) but as logical structures.

A clear logical description, even if it suppresses some minor details, not only specifies the model but also the conception which the model is intended to display. Furthermore, a clear logical description is the basis for a simulation programme for an electronic computer; with a view to the important advances in algorithmic languages already achieved, we can imagine the time when correspondingly equipped computers automatically translate logical descriptions into programmes so that models of this kind can be exchanged and used like mathematical formulae today.

DESCRIPTION OF FUNCTIONAL STRUCTURES BY BOOLEAN ALGEBRA

The biological model is represented by the block schematic of *Figure 1*: receptors, information processing, effectors. There may be, and frequently



*Figure 1.* Block diagram of the biological model

are, external feedback loops from the effectors back to the receptors. The block representing the information processing part may include internal feedback loops, of course.

*Analogue-to-digital conversion*

In this context, the receptors or sensory organs essentially are converters of the information coming from the real world (including the body of the organism) into the information processing system. Since this system operates logically, the receptors must be analogue-to-digital converters.

As a matter of fact, there is not a simple antithesis 'analogue-digital', but there are at least four possible methods:

(a) *Continuous analogue methods*—A continuously varying quantity is represented by another continuously varying quantity. *Example*: the ordinary telephone.

(b) *Discontinuous analogue methods*—A continuously varying quantity is represented by the variation of a parameter of a discontinuous process. *Examples*: pulse height modulation, pulse position modulation and pulse frequency modulation (the latter is used by the nerve cells).

(c) *Counting methods*—A quantity is represented by a sequence of pulses, the number of pulses expressing the instantaneous value or signal. *Examples*: the

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printing telegraph of HUGHES, pulse count modulation, pulse delta modulation.

(d) *Positional methods*—A quantity is represented by a sequence of pulses in which the value is defined not only by the number of pulses but also by their position within a spatial or temporal pattern. *Examples:* the indo-arabic number system, codes of electronic computers, pulse code modulation.

The first two schemes appear in the nervous systems, the other two are of the quantized type and logically defined. The reduction to logical relations is a means for clear description, but constitutes a certain deviation from nature. Nowhere in the organism is an element producing a true conjunction or a true disjunction. Quite similar effects may appear, but they are consequences of the combination of whole arrays of pulses. Anyway, neural networks from the beginning have been considered by logical methods and this is certainly the only reasonable approach.

The effectors in *Figure 1* represent, therefore, a conversion from analogue variables to logical variables corresponding to method (d). The input pattern or input 'situation' for the information processing system is a set of 'zeros' or 'ones' of the logical variables  $S_i$ ,  $T$  and  $N_i$ .

*Logical information processing*

Three levels of logical methods must be distinguished: combinatorial logical algebra, sequential logical algebra and the combination of logical functions with arithmetical functions (which are, of course, only special combinations of logical functions—but it pays to symbolize them arithmetically, because they will be better understood in this way).

*Combinatorial logical algebra*—All variables are either 0 or 1. The functions can be arranged systematically<sup>3</sup> and there are  $2^{(2^n)}$  different functions of  $n$  variables. All these functions can be expressed by negation ( $\bar{X}$ ), conjunction (&) and disjunction (V). *Figure 2* shows the symbolism for combinatorial logical algebra.

| $X_2$<br>$X_1$   | 0<br>0 | 0<br>1 | 1<br>0 | 1<br>1 |
|--|--------|--------|--------|--------|
| $X_2 \rightarrow X_1 \rightarrow \text{&} \rightarrow Y_1$ | 0      | 0      | 0      | 1      |
| $X_2 \rightarrow X_1 \rightarrow \text{&} \rightarrow Y_2$ | 0      | 0      | 1      | 0      |
| $X_2 \rightarrow X_1 \rightarrow \text{V} \rightarrow Y_3$ | 0      | 1      | 1      | 1      |
| $X_2 \rightarrow X_1 \rightarrow \text{V} \rightarrow Y_4$ | 1      | 1      | 1      | 0      |
| $X_2 \rightarrow X_1 \rightarrow \text{≠} \rightarrow Y_5$ | 0      | 1      | 1      | 0      |
| $X_2 \rightarrow X_1 \rightarrow \text{≠} \rightarrow Y_6$ | 1      | 0      | 0      | 1      |

Figure 2. Some symbols for combinatorial functions

*Sequential logical algebra*—In the model, time is very important; there are delays and there are storing elements. In the sequential logical algebra, time is strictly quantized; what is happening, happens in a set of equidistant moments  $\xi = -1, 0, 1, 2, 3, \dots$  (Figure 3). The sequential variables are

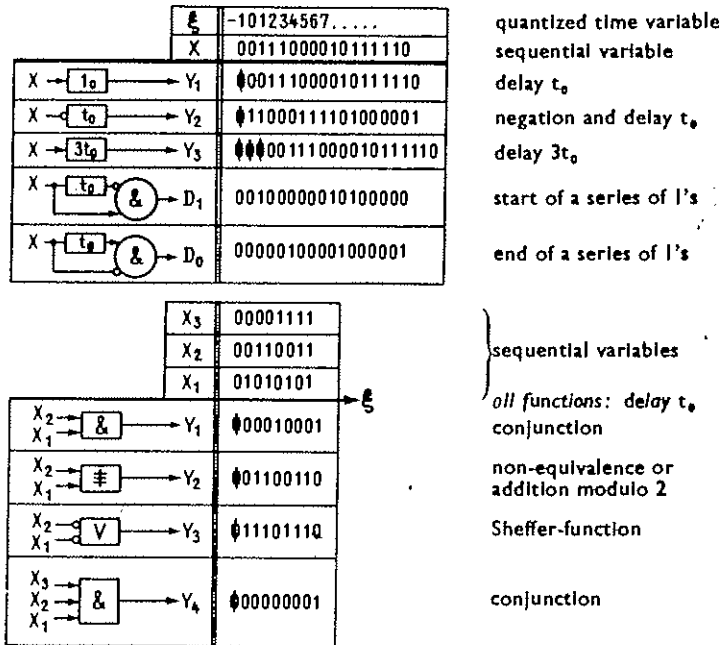


Figure 3. Some symbols for sequential functions

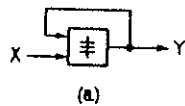
series of values either 0 or 1 for each moment  $\xi$ . There are different possibilities for sequential functions. The corresponding functions of the combinatorial algebra produce the results at the very moment when the input signals occur. We denote them by circles around the logical symbol. Furthermore, the result may be produced with a delay of the unit distance  $t_0$  or of a multiple of it (Figure 3). The simplest form is the unit delay element  $t_0$ ; it can be negated or it can have a delay of  $\beta t_0$ .

It is possible to use a kind of 'differentiating' function  $D_1$ , which emits only the first of a series of ones; a dual form is the function  $D_0$  which emits a one when the first of a series of zeros occurs at the input.

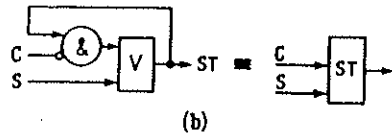
Functions which produce their results with a delay are denoted by squares around the logical symbols. Unless otherwise stated, the delay is  $t_0$  (Figure 3).

Delayed functions with a feedback loop can store information. Figure 4 shows three basic types: the antivalence function with feedback loop changes its state (the output can be considered as a state of this function) any time the input  $X = 1$  occurs; the second function has one storing or setting input  $S$  and one clearing input  $C$ ; the third function has two feedback loops and stores for a certain period of time  $\beta t_0$ . These three functions are logical forms of the flip-flop circuit with one input, with two inputs, and the mono-stable form).

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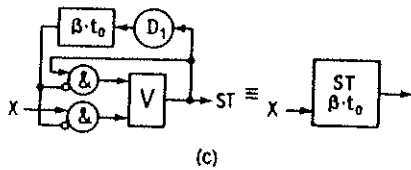


Whenever  $X_\xi = 1$ ,  $Y_{\xi+1}$  changes; when  $X_\xi = 0$ ,  $Y_{\xi+1}$  remains at the value of  $Y_\xi$



|       |              |   |   |   |   |   |   |   |   |
|-------|--------------|---|---|---|---|---|---|---|---|
| State | ST           | 0 | 0 | 0 | 0 | 1 | 1 | 1 | 1 |
| Clear | C            | 0 | 0 | 1 | 1 | 0 | 0 | 1 | 1 |
| Store | S            | 0 | 1 | 0 | 1 | 0 | 1 | 0 | 1 |
| State | $ST_{\xi+1}$ | 0 | 1 | 0 | 1 | 1 | 1 | 0 | 1 |

The storing pulse S sets the store, i.e. It makes  $ST_{\xi+1} = 1$ ; the clearing pulse C clears the store, i.e. It makes  $ST_{\xi+1} = 0$ ; If S and C coincide, the store is set (there are other possibilities in this set which define other flip-flops)



|    |   |   |   |   |   |   |   |          |
|----|---|---|---|---|---|---|---|----------|
| X  | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 0, ... 0 |
| ST | 0 | 0 | 1 | 1 | 1 | 1 | 1 | 1, ... 1 |

$X = 1$  is stored during the time  $\beta \cdot t_0$ ; another pulse  $X = 1$  during this time has no influence. Instead of  $\beta \cdot t_0$ , we will write also the time, for instance 5 sec or 3 min

Figure 4. Some sequential functions with feedback. (a) Flip-flop with one input; (b) flip-flop with two inputs; (c) monostable flip-flop

Many more such functions are feasible and may be used. We have defined here only the functions which are made use of in the models described.

*Arithmetical elements*—Phenomena which depend on repetitions of events can be represented in the model by counting systems. Such systems are, like those in a computer, logically defined and could be reproduced by their sequential function. It is, however, easier to think of them arithmetically. We have used two kinds of counting systems (Figure 5), one without and one with negative values of the sum or contents.

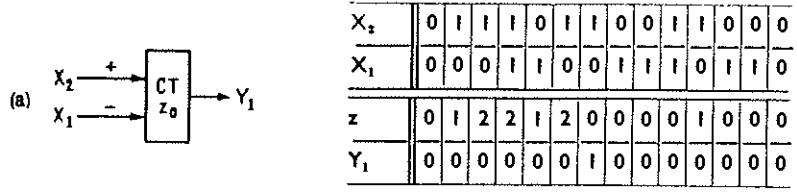
*Conversion of logical results in the effectors*

The results are received in the form of sequential variables  $E_i$ ; this does not mean that the behaviour of the model is restricted to yes-no effects: any transformation into analogue signals and movements is possible.

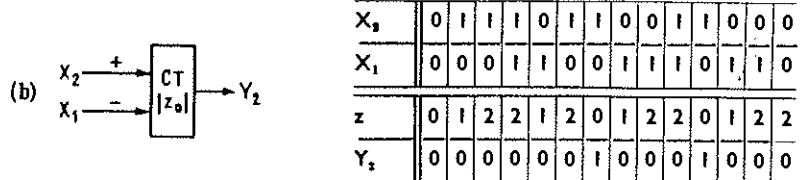
In our logical schemes we have not reduced the number of logical variables to the minimum  $m$  (when  $2^m$  is the number of possible output situations); we rather have provided for one logical output variable  $E_i$  for each situation, i.e. a one-out-of- $2^m$  code. It is more convenient to read the schematic in this form; there would not be any problem with such reduction (Figure 6).

*External feedback loops*

The activity of the effectors produces variations in the input variables. Consequently, any such model shows feedback behaviour, even if no such behaviour has been planned deliberately. In natural organisms such external feedback loops are of great importance; frequently, they are applied in the receptors themselves for quicker movement and for better adaptation.



Each Input  $X_2 = 1$  adds 1 to the contents<sup>2</sup>; each Input  $X_1 = 1$  subtracts 1 from the contents<sup>2</sup>, but does not subtract, if the contents are zero. If contents  $z$  become  $z_0$ , the contents are cleared and  $Y_1 = 1$  at the next moment (single pulse)



Each Input  $X_2 = 1$  adds 1 to the contents  $z$ ; each Input  $X_1 = 1$  subtracts 1 from the contents  $z$ . If the contents become  $z_0$  and if the contents become  $-z_0$ , the contents are cleared and  $Y = 1$  at the next moment (single pulse)

Figure 5. Some combined logical and arithmetical sequential functions ( $z_0$  chosen as 3 in both examples). (a) Counter for positive value  $z_0$ ; (b) counter for absolute value  $z_0$

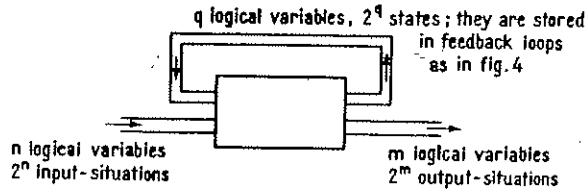


Figure 6. The information processing part as a generalized logical function

MODELS FOR THE CONDITIONED REFLEX

Almost simultaneously, about 1950, three biological models appeared which then formed the nucleus of practical cybernetics: the Homeostat of W. R. ASHBY<sup>3</sup>, the Maze Runner of C. E. SHANNON<sup>4</sup> and the Conditioned Reflex Model of W. G. WALTER<sup>5</sup>. In our institute in Vienna, we have built a copy<sup>6</sup> of the Homeostat and have developed a maze runner<sup>7</sup> with some new properties; it should be very interesting to analyse both models in the way mentioned, but here we prefer to investigate four models for the conditioned reflex.

Model No. 1. Unconditioned reflex behaviour:  
W. G. Walter's *Machina Speculatrix*<sup>5</sup>

Reduced to its logical properties, this model (Figure 7) is rather simple. There are three input variables:  $T$  is a touch contact indicating an obstacle;  $S_1$  is signalling a weak light source and  $S_2$  a strong one. The four output situations are:  $E_4$ —the model moves backwards, then turns right and moves forwards, which helps the model to master obstacles and to get out of corners;  $E_3$ —scanning at half speed;  $E_2$ —scanning at full speed and driving at half speed, the pilot light being alight;  $E_1$ —no scanning, but driving at full speed.

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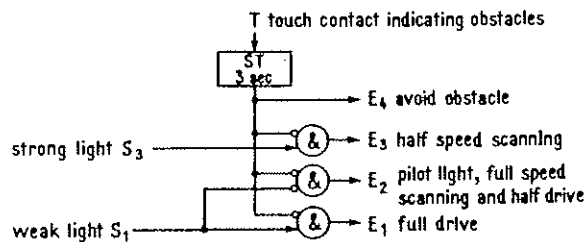


Figure 7. Model No. 1. Unconditioned reflex behaviour. W. G. Walter: Machina Speculatrix

### Model No. 2. Conditioned reflex analogue (CORA):

W. G. Walter's Machina Docilis<sup>4,8</sup>

Here (Figure 8) another input variable is introduced: the unspecific stimulus  $N$ , indicating a certain kind of sound. If  $S_1$  &  $N$  happens 20 times, the behaviour is changed for 5 min, i.e. the conditioned reflex is established.

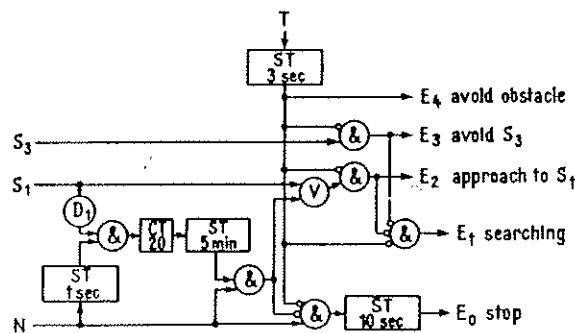


Figure 8. Model No. 2. Conditioned reflex analogue (CORA). W. G. Walter: Machina Docilis

### Model No. 3. Temporal extinction of conditioned reflex.

A. J. Angyan's Machina Reproducatrix:

This model (Figure 9) has two more inputs,  $N_1$  and  $N_2$ , being two tones of different pitch, and  $N_3$ , similar to  $S_3$  indicating acoustic signals in excess of a certain threshold in amplitude. Initially,  $N_1$  and  $N_2$  have equal influence and effect. When the conditioned reflex has been established, it can be suspended by another logical system which, after 18 repetitions of  $N_1$  or  $N_2$ , prevents the input  $N_3$  from taking any further effect. This means discrimination between  $N_1$  and  $N_2$ . The shock  $N_3$  inhibits the conditioned reflex for 35 sec and thus clears the discrimination.

Although involving an advance, this model was not regarded as a correct solution and a further step, including the combination of two conditioned reflexes, was made by the authors.

### Model No. 4. Combination of two conditioned reflexes:

A. J. Angyan's Machina Combinatrix<sup>10</sup>

There are still only 6 input variables:  $S_3$ ,  $S_1$ ,  $T$ ,  $N_3$ ,  $N_2$  and  $N_1$ , but the model (Figure 10) has two basic states: an active one  $W$  and a sleep state  $\bar{W}$ . The

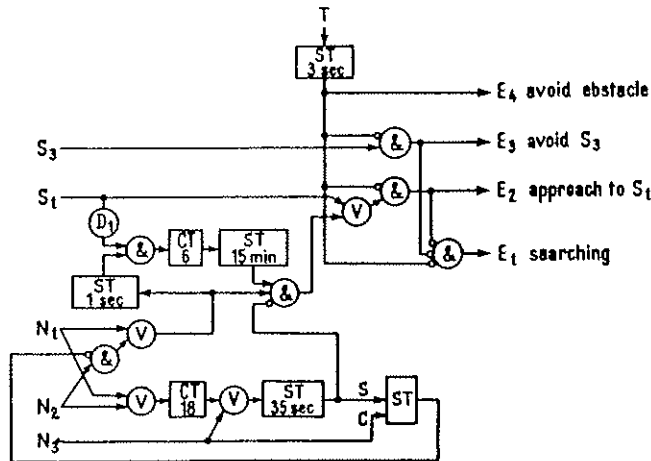


Figure 9. Model No. 3. Model with temporal extinction of the conditioned reflex.  
A. J. Angyan: *Machina Reproducatrix*

model can even assume a total of 40 states, defined by the state variables  $W$ ,  $Q_1$ ,  $Q_2$ ,  $Q_I$  (conditioned reflexes  $Q_L$  &  $\bar{Q}_1$  = negative reflex 1;  $Q_L$  &  $Q_1$  = positive reflex 1;  $Q_L$  &  $\bar{Q}_2$  = negative reflex 2;  $Q_L$  &  $Q_2$  = positive reflex 2;  $Q_N$  (shock reaction) and  $Q_I$  (inhibition)). The detailed description of this model is given in the following section.

MODEL FOR COMBINATION OF CONDITIONED REFLEXES

The model is intended to demonstrate an advanced hypothesis of the conditioned reflex and some related simple neurological functions.

A first attempt to modify Walter's model was made in 1955 by Angyan and Banyasz in Hungary; this led to two technical embodiments of model 3. In experiments, concurrently carried through on animals and on model 3, and the results recorded and standardized, a conception was developed which became the basis for model 4. During the design of the model, in Vienna, this conception has repeatedly been modified and cleared up logically by the authors.

The model aims to reproduce in an approximate way the states of 'sleep' and 'wakefulness', and an intermediate state of 'inhibition' in which, generally, only the conditioned responses but not the unconditioned ones should be blocked. 'Activation' by shock stimulation should induce a shift from wakefulness to sleep and vice versa.

*Some related biological terms*

*Specific or unconditioned stimuli S* are followed immediately by given reactions corresponding to two *dominant states*, the *active* or approach state  $W$  and the *passive* or avoidance state  $\bar{W}$ . The related processes are referred to as *unconditioned reflexes* (e.g.  $E_0$ ).

*Neutral stimuli N*, generally exerting no effect, can be correlated with specific ones. By combining a certain number of 'rise' or 'decay' pulses\* of

\* 'Rise' and 'decay' pulses indicate the beginning and end of a D.C. block, by differentiation (followed by change of sign in the case of the 'decay' pulse). In the logical model these are the first and last pulses of a block of ones—Editor.



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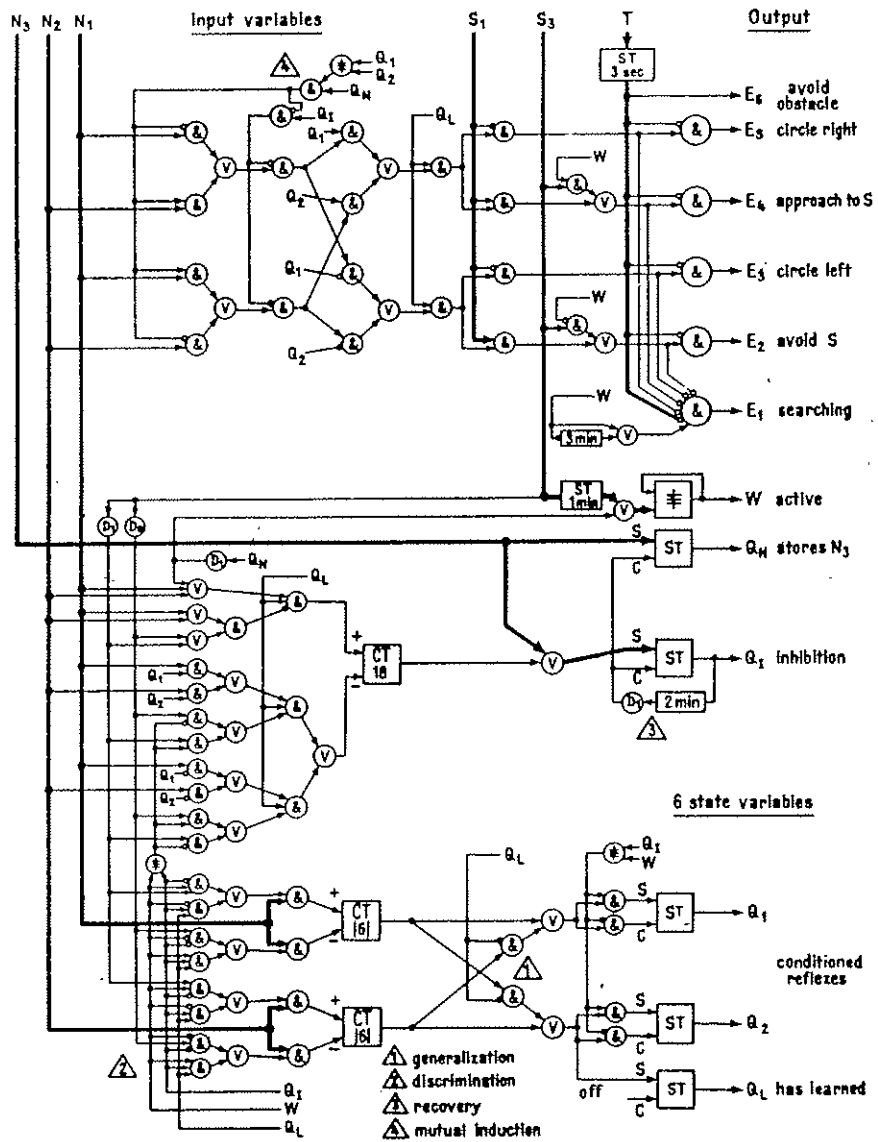


Figure 10. Model No. 4. Model with combination of conditioned reflexes. A. J. Angyan: Machina Combinatrix

specific stimuli  $S$  with preceding neutral stimuli within the protraction time of the latter, *conditioned reflexes CR* can be established. Thus neutral stimuli  $N$  become *conditional stimuli*, that is they now will trigger essentially similar reactions to the above-mentioned (combined) specific stimulation. The first conditioned reflex ever established is *generalized* to all neutral stimuli of equal classes.

*Internal inhibition*  $Q_I$  is effected by repeated application of conditional stimuli  $N$  which are not reinforced by unconditioned stimuli  $S$ , and is non-specifically applied to all conditional stimuli  $N$  of the same class ( $N_1$  and  $N_2$ ).

*External inhibition*  $Q_N$  of conditioned reflexes occurs with strong, disturbing, external stimuli  $N_3$ . At the same time the dominant state will be changed too.

*Discrimination* ( $Q_2 \neq Q_1$ ) may be obtained in two ways. *Passive discrimination* will be effected by carrying extinction beyond a certain level within the inhibition time.

*Active discrimination* can be obtained by establishing contrary conditioned reflexes through antagonistic training.

'Spontaneous' recovery or desinhibition of conditioned reflexes  $CR$  depends on the lapse of a certain period of time, after which the original state will be restored.

Simultaneous application of conflicting conditioned stimuli results in passive reactions, whereas a strong stimulus  $N_3$  may induce the reversal of conditioned reflexes (mutual induction).

#### *Functional properties of the model*

Figure 10 gives a complete schematic of the functional properties of the model. Some comments may be useful.

*Input variables*—The six input variables are shown on the top of Figure 10, and their influence is indicated by heavy lines. The hierarchical order can easily be detected.

*The states*—The model can assume 40 different states; there are 6 state variables determined by the conditions in the stores  $ST$  and  $\neq$ . These 6 logical variables have  $2^6 = 64$  states; but in this case, the variable  $Q_L$  is combined with  $Q_2$  and  $Q_1$  only in its non-negated form, but never in its negated form  $\bar{Q}_L$ . If the state variables are arranged as in Table I, and if their 0, 1-values are considered as binary numbers, each state can be denoted by this number, which is given in Table I also as a decimal number. The state numbers 9 through 31 do not occur for the reason mentioned, and this yields 40 instead of 64 states.

In Figure 10 the influence of the state variables is indicated by arrows, which simplifies the diagram.

*The output variables*—From  $E_6$  through  $E_0$  these have a hierarchical order. The dominant input variable is  $T$ : avoiding obstacles,  $E_6$  is the most important activity and  $T$  blocks all other outputs.  $E_6$  is an alternating backward-turning and forward-turning movement by which obstacles are mastered.

$E_5$  and  $E_3$  are the responses to the conditioned stimuli. Such a response consists in either motor running so that the model makes a circular motion, thereby scanning its environment for light sources.

$E_4$  and  $E_2$  are the responses to a strong light source; actually, the model makes a serpentine motion, to approach the light source or to retire from it, the model facing the light source in either case.

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$E_1$  is an alternating motor-driving condition for random scanning.

If none of the above outputs is active, the model stops ( $E_0$ ).

*Biological terms as logical functions*—Starting from given input and output variables, the biological terms had to be properly defined and then transformed into the corresponding logical functions.

Most of the terms are defined by logical variables as given in the preceding sections. Only a few terms need further explanation.

There are four conditioned reflexes, logically defined by:

$$\begin{aligned} +CR\ 2 &= Q_L \& Q_2 & \text{positive tropism to weak light upon } N_2 \\ -CR\ 2 &= Q_L \& \overline{Q_2} & \text{negative tropism to weak light upon } N_2 \\ +CR\ 1 &= Q_L \& Q_1 & \text{positive tropism to weak light upon } N_1 \\ -CR\ 1 &= Q_L \& \overline{Q_1} & \text{negative tropism to weak light upon } N_1 \end{aligned}$$

The positive and negative conditioned reflexes of the same index are mutually exclusive.

*Generalization*: In the 'unlearned' states ( $\overline{Q_L}$ ), the first activation of an adder ADD [6] operates both store  $Q_1$  and store  $Q_2$ . Simultaneously, store  $Q_L$  is also set and  $Q_L$  inhibits ( $\Delta 1$ ) the generalization function.

*Discrimination*: Active discrimination is effected by a number of antagonistic combinations ( $\Delta 2$ )  $N_2$  and  $N_1$  with  $W \& S_3 \& D_0$  and  $\overline{W} \& S_3 \& D_1$ . Thereafter  $Q_1 \neq Q_2$ .

Passive discrimination (also  $\Delta 2$ ) can be established if  $Q_I \& (Q_1 \equiv Q_2)$ . The single application of  $N_1$  (or  $N_2$ ) will lead to reversed adding on adder ADD [6] and thereupon  $Q_1 \neq Q_2$  will be stored too.

*Recovery*: The feedback loop ( $\Delta 3$ ) at the store of  $Q_I$  clears both store  $Q_I$  and store  $Q_N$  after 2 minutes.

*Mutual induction*: If  $Q_2 \neq Q_1$  and a shock is stored in store  $Q_N$  ( $\Delta 4$ ), the effects of  $N_2$  and  $N_1$  are interchanged.

*Action patterns*—The sequence of input activations and changes in states, followed by output activations, forms an action pattern which accurately describes the behaviour of the model. *Table I* gives an illustration, *Figure 11* shows the flow-diagram of the states. Initially, when the model is switched on it is in state 0. Items 1–6 illustrate the unconditioned reflexes. The establishing of conditioned reflexes (conditioning), which may also be called 'learning', needs some repetitions of the combination of strong light  $S_3$  with one of the neutral stimuli  $N_2$  or  $N_1$ . According to the state variable  $W$  ( $W$  or  $\overline{W}$ ) the positive or negative conditioned reflexes CR 1 and CR 2 are generated; items 9 and 10 show that both  $N_2$  and  $N_1$  produce the conditioned reaction: the model has 'generalized' the input variable.

The repeated application of  $N_2$  or  $N_1$  without  $S_3$  'habituates' the model, and it becomes 'internally inhibited' (items 11 and 12). During the inhibition,  $N_2$  produces passive discrimination (item 13). After 2 min, the inhibition disappears and the conditioned reflexes will be re-established, in order to allow discrimination between  $N_2$  and  $N_1$  to take place.

A shock turns the model into the antagonistic dominant state (item 17).

Items 18 and 19 illustrate 'mutual induction', i.e. the reversal of reactions on  $N_1$  and  $N_2$ , whereas in item 20 'spontaneous' recovery of state No. 17 is shown.

Switching off the model clears all stores to 0.

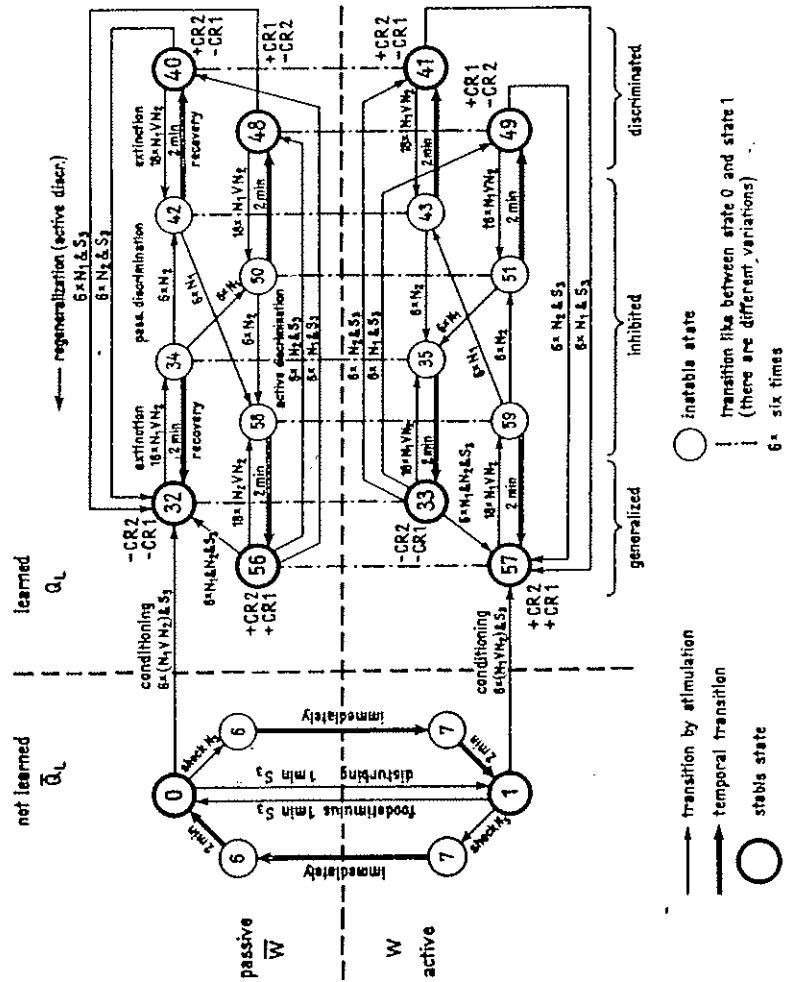


Figure 11. State diagram of model No. 4. This is a simplified version, the transitions between the passive and the active states are only indicated

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Brief technical description

While the logical description is based on dynamic techniques (time is strictly quantized and the variables and functions are sequences of values 0 or 1 for each moment), the model has been designed using a static technique: relay

Table I. Example of action pattern  
(The arrow means temporal sequence, e.g.  $E_2 \rightarrow E_3$  means  $E_3$  after  $E_2$ )

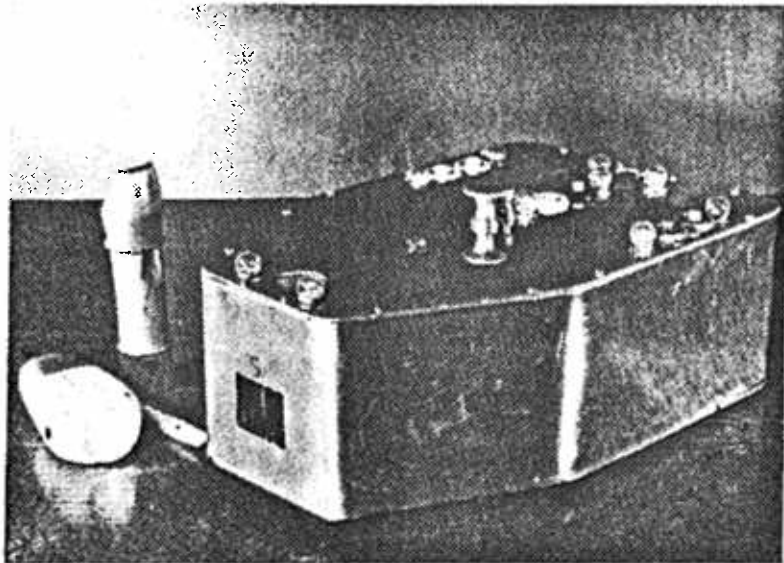
| No. | Comment                            | Input                 | State |       |       |       |       |       |     | Output<br>$E_i$       |
|-----|------------------------------------|-----------------------|-------|-------|-------|-------|-------|-------|-----|-----------------------|
|     |                                    |                       | No.   | $Q_L$ | $Q_1$ | $Q_2$ | $Q_N$ | $Q_I$ | $W$ |                       |
| 0   | ON                                 | —                     | 0     | 0     | 0     | 0     | 0     | 0     | 0   | $E_0$                 |
| 1   | Strong light                       | $S_2$                 | 0     | 0     | 0     | 0     | 0     | 0     | 0   | $E_2$                 |
| 2   | After 3 min                        | —                     | 0     | 0     | 0     | 0     | 0     | 0     | 0   | $E_1$                 |
| 3   | After 1 min strong light           | $S_2$                 | 1     | 0     | 0     | 0     | 0     | 0     | 1   |                       |
| 4   | Two pitches of sound or weak light | $N_2, N_1, S_1$       | 1     | 0     | 0     | 0     | 0     | 0     | 1   | $E_1$                 |
| 5   | Obstacle                           | $T$                   | 1     | 0     | 0     | 0     | 0     | 0     | 1   | $E_2$                 |
| 6   | Strong light                       | $S_2$                 | 1     | 0     | 0     | 0     | 0     | 0     | 1   | $E_2$                 |
| 7   | Tone and strong light              | $S_2 \& N_1$          | 1     | 0     | 0     | 0     | 0     | 0     | 1   | $E_2$                 |
| 8   | Learning 6 times                   | $S_2 \& N_1$          | 57    | 1     | 1     | 1     | 0     | 0     | 1   | $E_2$                 |
| 9   | Pos. cond. reflex on $N_1$         | $N_1 \& S_1$          | 57    | 1     | 1     | 1     | 0     | 0     | 1   | $E_2 \rightarrow E_3$ |
| 10  | Pos. cond. reflex on $N_2$         | $N_2 \& S_1$          | 57    | 1     | 1     | 1     | 0     | 0     | 1   | $E_2 \rightarrow E_3$ |
| 11  | Extinction 18 times                | $N_2 \vee N_1$        | 59    | 1     | 1     | 1     | 0     | 1     | 1   | $E_2$                 |
| 12  | Internal inhibition                | $N_2 \vee N_1$        | 59    | 1     | 1     | 1     | 0     | 1     | 1   | $E_1$                 |
| 13  | Passive discrimination 6 times     | $N_2$                 | 51    | 1     | 1     | 0     | 0     | 1     | 1   | $E_1$                 |
| 14  | Recovery, after 2 min              | —                     | 49    | 1     | 1     | 0     | 0     | 0     | 1   | $E_1$                 |
| 15  | Pos. cond. reflex on $N_1$         | $N_1 \rightarrow S_1$ | 49    | 1     | 1     | 0     | 0     | 0     | 1   | $E_2 \rightarrow E_3$ |
| 16  | Neg. cond. reflex on $N_2$         | $S_2 \rightarrow S_1$ | 49    | 1     | 1     | 0     | 0     | 0     | 1   | $E_2 \rightarrow E_3$ |
| 17  | Strong sound                       | $N_2$                 | 54    | 1     | 1     | 0     | 1     | 1     | 0   | $E_0$                 |
| 18  | Mutual induction                   | $N_1 \rightarrow S_1$ | 54    | 1     | 1     | 0     | 1     | 1     | 0   | $E_2 \rightarrow E_3$ |
| 19  | Mutual induction                   | $N_2 \rightarrow S_1$ | 54    | 1     | 1     | 0     | 1     | 1     | 0   | $E_2 \rightarrow E_3$ |
| 20  | After 2 min                        | —                     | 48    | 1     | 1     | 0     | 0     | 0     | 0   | $E_0$                 |
| 21  | Conflict                           | $N_2 \& N_1 \& S_1$   | 48    | 1     | 1     | 0     | 0     | 0     | 0   | $E_2 \rightarrow E_3$ |
| 22  | 1 min strong light                 | $S_2$                 | 49    | 1     | 1     | 0     | 0     | 0     | 1   |                       |
| 23  | Active discrimination 6 times      | $S_2 \& N_2$          | 57    | 1     | 1     | 1     | 0     | 0     | 1   |                       |
| 24  | Strong sound                       | $N_2$                 | 62    | 1     | 1     | 1     | 1     | 1     | 0   | $E_0$                 |
| 25  | External inhibition                | $N_2 \vee N_1$        | 62    | 1     | 1     | 1     | 1     | 1     | 0   | $E_0$                 |
| 26  | Recovery after 2 min               | —                     | 56    | 1     | 1     | 1     | 0     | 0     | 0   | $E_0$                 |
| 27  | Searching after (further) 1 min    | —                     | 56    | 1     | 1     | 1     | 0     | 0     | 0   | $E_1$                 |
| 28  | OFF                                | —                     | 0     | 0     | 0     | 0     | 0     | 0     | 0   | $E_2$                 |

contacts and potentials are maintained for the time between activation and disactivation (time quantization is not strictly necessary and series of ones are replaced by blocks of direct current).

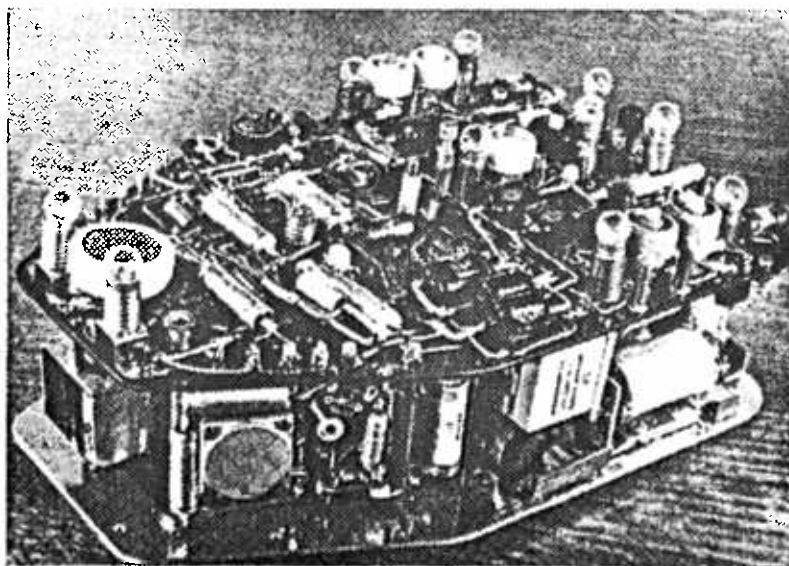
The receptors—A microphone controls two selective feedback amplifiers for  $N_2$  and  $N_1$  and one biased amplifier for  $N_3$ . The decision between 0 and 1 depends on thresholds circuits in the amplifiers.

A phototransistor with a cylindrical lens controls a multistage D.C. amplifier which discriminates strong ( $S_2$ ) and weak ( $S_1$ ) light and which includes the differentiating circuits  $D_0$  and  $D_1$ .

Instead of Walter's moving shell this model has a relay circuit for checking the motor current. When an obstacle is encountered, the motor current increases and the relay operates, i.e.  $T = 1$ .



*Figure 12.* Photograph of model No. 5 with cover. (Model No. 5 is a second version of model No. 4 with small alterations)



*Figure 13.* Photograph of model No. 5 without cover

*Information processing circuits*—The logical functions make use of relay contacts and diode circuits. Delays are produced by thermistors or by RC networks; storing is by self-locking relays.

The counters are networks of contacts and capacitors controlling bi-stable relays with neon lamps.

*The effectors*—These actually consist of two motors controlled in a way that produces the desired movements  $E_0$  through  $E_9$ . A special effect is the goal-seeking mechanism which is controlled by the single phototransistor: every time a beam of light reaches the phototransistor there will be a slightly delayed change-over from one motor to the other resulting in a serpentine movement.

*Technical data: differences between models 4 and 5*—There is no basic difference between the two models 4 and 5. Both are compact automata running on two wheels (each wheel driven by a separate motor) and one ball-type castor. A 6 volt Ni-Cd-battery powers the entire equipment of two motors, 19 relays, 14 transistors and 8 pilot lamps. A D.C.-converter supplies 270 volt for the counting units. 6 push-buttons also permit manual establishment of various states.

Model 5 used the experience gained in constructing model 4 and has somewhat smaller dimensions (10 in. by 7 in. by 4 in.) and lower weight (about 5 lb.).

#### PROGRAMMING OF BIOLOGICAL MODELS

Figure 10 makes it clear that both technical design and logical examination of such intricate models is an involved job. In particular, development and functional improvements on the model can be made only by engineering experts who, in addition, understand the biological language.

A much better, more straight-forward, more flexible and less expensive answer to the problem of biological models would be programming on a computer. This, however, is subject to two pre-requisites. First, biologists must be able to express the functional structures to be simulated by a model in terms of logical algebra; secondly, an algorithmic language for logical algebra and the associated formula translator must be developed. In 1960, the Viennese team working with the computer MAILÜFTERL began investigations on the processing of logical data by this computer; consideration is at present given to the development of a suitable algorithmic language. Efforts are being devoted to programming the structure of Figure 10.

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#### REFERENCES

- <sup>1</sup> McCULLOCH, W. S. and PITTS, W. 'A Logical Calculus of the Ideas Imminent in Nervous Activity', *Bull. Math. Biophys.*, 5 (1943) 115
- <sup>2a</sup> ZEMANEK, H. 'Schaltalgebra', *Nachr. Techn. Fachber.*, 3 (1956) 93
- <sup>b</sup> ZEMANEK, H. 'Logische Algebra und Theorie der Schaltnetzwerke', *Taschenbuch der Nachrichtenverarbeitung* (chapter 1.4) Springer-Verlag, Berlin (to be published)

## DISCUSSION

- <sup>3</sup> LEDLEY, R. S. *Digital Computer and Control Engineering*, McGraw-Hill, New York, 1960
- <sup>4</sup> SHANNON, C. E. 'Presentation of a Maze Solving Machine', *Trans. Eighth Conf. on Cybernetics*, 1951. J. Macy Foundation, New York, 1952
- <sup>5</sup> WALTER, W. G. *The Living Brain*, Duckworth, London, 1953
- <sup>6a</sup> HAUENSCHILD, A. 'Der Homöostat', Thesis, Techn. Univ. Vienna, 1956
- <sup>b</sup> ZEMANEK, H. 'La tortue de Vienne, etc.', *Actes du 1er Congrès de Cybernétique, Namur 1956* (p. 773) Gauthier-Villars, Paris, 1958
- <sup>7</sup> EIER, R. and ZEMANEK, H., 'Automatische Orientierung im Labyrinth', *Elektronische Rechenanlagen (Munich)*, 2 (1960) 23
- <sup>8</sup> EICHLER, E. 'Die künstliche Schildkröte', *Radio Technik (Vienna)*. XXXI (1955)
- <sup>9</sup> ANOYAN, A. J. 'Machina Reproducatrix', *Mechanization of Thought Processes, Symposium No. 10*, p. 933 Nat. Phys. Lab. London, 1958
- <sup>10</sup> KRETZ, H. 'Modell für neurophysiologische Funktionskreise', Thesis, Techn. Univ. Vienna, 1960

## DISCUSSION

J. E. MEOGITT: If into any electronic computer performing a programme one inserts a probe, one will in general discover a complex waveform, probably consisting of apparently random pulses. However this waveform will not enable the observer to discover very much, either about the computer, or about the programme, except that there is a fair degree of complexity.

If one simulates a model of a nervous system on a computer and if one then looks at a waveform inside it, this seems analogous to looking at a waveform in the actual animal nervous system of which this is a model; so it seems to me that one should not be surprised at apparently random waveforms. Statistical models purporting to explain these waveforms seems to me to have no relevance.

H. ZEMANEK in reply: The point is, in our case and in similar cases, not the explanation of waveforms but the checking of the logical structure underlying the model. If this structure is correct, the response of the model to any stimulus must be the same as the response of the modelled system. If the answer is not correct, the model needs further consideration and development. Whereas the structure of the modelled system may be fully or almost fully unknown, the structure of the model or the modelling programme is known, and the wrong or weak feature can be detected. By such a process the structure of the model is corrected and, within the limits of the considered features, the same as that of the modelled system.